

Package ‘glsm’

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Title Saturated Model Log-Likelihood for Multinomial Outcomes

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Description When the response variable Y takes one of R > 1 values, the function 'glsm()' computes the maximum likelihood estimates (MLEs) of the parameters under four models: null, complete, saturated, and logistic. It also calculates the log-likelihood values for each model. This method assumes independent, non-identically distributed variables. For grouped data with a multinomial outcome, where observations are divided into J populations, the function 'glsm()' provides estimation for any number K of explanatory variables.

Depends R (>= 3.5.0)

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confint.glsm*Confidence Intervals for Coefficients in glsm Objects***Description**

Calculates confidence intervals for the coefficients in a fitted `glsm` model. Includes exponentiated intervals (Odds Ratios) for easier interpretation.

Usage

```
## S3 method for class 'glsm'
confint(object, parm, level = 0.95, ...)
```

Arguments

<code>object</code>	The type of prediction required. The default is on the scale of the linear predictors. The alternative response gives the predicted probabilities.
<code>parm</code>	calculate confidence intervals for the coefficients
<code>level</code>	It gives the desired confidence level for the confidence interval. For example, a default value is <code>level = 0.95</code> , which will generate a 95% confidence interval." The alternative response gives the predicted probabilities.
<code>...</code>	further arguments passed to or from other methods.

Details**Confint Method for 'glsm'**

The saturated model is characterized by the assumptions 1 and 2 presented in section 2.3 by Llinas (2006, ISSN:2389-8976).

Value

An object of class "confint.glsm", which is a list containing:

<code>object</code>	a <code>glsm</code> object
<code>parm</code>	calculate confidence intervals for the coefficients.
<code>level</code>	confidence levels

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Examples

```
# Load the glsm package and example dataset
library(glsm)
data("hsbdemo", package = "glsm")

# Fit a multinomial logistic regression model using glsm()
model <- glsm(prog ~ ses + gender, data = hsbdemo)

# Get confidence intervals for all model coefficients (default 95% level)
confint(model)

# Get confidence intervals for a specific coefficient
params <- names(model$coefficients)

results <- lapply(params, function(p) {
  cat("\nConfidence interval for:", p, "\n")
  print(confint(model, parm = p, level = 0.95))
})
```

glsm

Saturated Model Log-Likelihood for Multinomial Outcomes

Description

When the response variable Y takes one of $R > 1$ values, the function "glsm()" computes the maximum likelihood estimates (MLEs) of the parameters under four models: null, complete, saturated, and logistic. It also calculates the log-likelihood values for each model.

The method assumes independent, non-identically distributed variables. For grouped data with a multinomial outcome variable, where the observations are divided into J populations, the function "glsm()" offers reliable estimation for any number K of explanatory variables.

Usage

```
glsm(formula, data, ref = NaN)
```

Arguments

<code>formula</code>	An object of class "formula" (or one that can be coerced to that class): a symbolic description of the model to be fitted. See 'Details' for more information on model specification.
<code>data</code>	An optional data frame, list, or environment (or object coercible via <code>as.data.frame</code>) containing the variables in the model. If variables are not found in <code>data</code> , they are taken from <code>environment(formula)</code> , typically the environment from which <code>glsm()</code> is called.
<code>ref</code>	Optional character string indicating the reference level of the response variable. If not specified, the first level is used by default.

Details

glsm.R

An expression of the form `y ~ model` is interpreted as a specification that the response variable `y` is modeled by a linear predictor, symbolically defined by `model` (the systematic component). The model consists of terms separated by `+` operators. Each term can include variable or factor names, and interactions between variables are denoted by `:`. Such a term represents the interaction of all included variables and factors. In this context, `y` is the outcome variable, which may be binary or polychotomous.

Value

An object of class "glsm", which is a list containing at least the following components:

<code>coefficients</code>	Vector of estimated coefficients, including intercepts and slopes.
<code>coef</code>	Alias for <code>coefficients</code> . Returns the same vector of estimated intercepts and slopes.
<code>Std.Error</code>	Vector of standard errors for the estimated coefficients (intercepts and slopes).
<code>ExpB</code>	Vector containing the exponentiated coefficients (i.e., <code>exp(beta)</code>) for interpretation as odds ratios.
<code>Wald</code>	Wald test statistic used to assess the significance of each coefficient (assumed to follow a chi-squared distribution).
<code>DF</code>	Degrees of freedom associated with the Wald test's chi-squared distribution.
<code>P.value</code>	P-values corresponding to the Wald test statistics.
<code>Log_Lik_Complete</code>	Log-likelihood value of the complete model.
<code>Log_Lik_Null</code>	Log-likelihood value of the null model.
<code>Log_Lik_Logit</code>	Log-likelihood value of the logistic model.
<code>Log_Lik_Saturated</code>	Log-likelihood value of the saturated model.
<code>Populations</code>	Number of populations considered in the saturated model.
<code>Dev_Null_vs_Logit</code>	Deviance statistic comparing the null and logistic models.

Dev_Logit_vs_Complete	Deviance statistic comparing the logistic and complete models.
Dev_Logit_vs_Saturate	Deviance statistic comparing the logistic and saturated models.
Df_Null_vs_Logit	Degrees of freedom for the deviance test comparing the null and logistic models.
Df_Logit_vs_Complete	Degrees of freedom for the deviance test comparing the logistic and complete models.
Df_Logit_vs_Saturate	Degrees of freedom for the deviance test comparing the logistic and saturated models.
P.v_Null_vs_Logit	P-value for the hypothesis test comparing the null and logistic models.
P.v_Logit_vs_Complete	P-value for the hypothesis test comparing the logistic and complete models.
P.v_Logit_vs_Saturate	P-value for the hypothesis test comparing the logistic and saturated models.
Logit_r	Matrix of log-odds values, with respect to the reference category r of the outcome variable Y.
p_hat_complete	Vector of probabilities that the outcome variable takes the value 1, given the jth population (estimated from the complete model, excluding the logistic model).
p_hat_null	Vector of probabilities that the outcome variable takes the value 1, given the jth population (estimated from the null model, excluding the logistic model).
p_rj	Matrix containing the estimated values of each prj, the probability that the outcome variable takes the value r, given the jth population (estimated using the logistic model).
odd	Vector containing the odds for each jth population.
OR	Vector containing the odds ratios for each variable's coefficient.
z_rj	Vector containing the values of each Zrj, defined as the sum of observations in the jth population.
nj	Vector containing the number of observations (nj) in each jth population.
p_rj_tilde	Vector containing the estimated values of each prj, the probability that the outcome variable takes the value r, given the jth population (estimated under the saturated model, without estimating logistic parameters).
v_rj	Vector of variances of the Bernoulli variables in the jth population and category r.
m_rj	Vector of expected values of Zj in the jth population and category r.
V_rj	Vector of variances of Zj in the jth population and category r.
V	Variance–covariance matrix of Z, the vector containing all Zj values.
S_p	Score vector computed under the saturated model.
I_p	Fisher information matrix under the saturated model.
Zast_j	Vector of standardized values for the variable Zj.

<code>mcov</code>	Variance–covariance matrix of the coefficient estimates.
<code>mcor</code>	Correlation matrix of the coefficient estimates.
<code>Esm</code>	Estimated Saturated Matrix. A data frame containing estimates from the saturated model. For each population j , it includes the values of the explanatory variables, n_j , Z_{rj} , prj_tilde , and the log-likelihood Lp_tilde .
<code>Elm</code>	Estimated Logit Matrix. A data frame containing estimates from the logistic model. For each population j , it includes the values of the explanatory variables, n_j , Z_{rj} , prj , the logit transformation $Logit_{rj}$, and the variance of the logit (var_logit_{rj}).
<code>call</code>	The original function call used to fit the <code>glsm</code> model.

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Examples

```
library(glsm)
data("hsbdemo", package = "glsm")
model <- glsm(prog ~ ses + gender, data = hsbdemo, ref = "academic")
model
```

Description

Entering high school students make program choices among general program, vocational program and academic program. Their choice might be modeled using their writing score and their social economic status. The data set contains variables on 200 students. The outcome variable is prog, program type. The predictor variables are social economic status, ses, a three-level categorical variable and writing score, write, a continuous variable.

Usage

```
hsbdemo
```

Format

A data frame with 200 rows and 17 columns:

Student Categorical. Student identification code.

id Categorical. Unique identifier for each student.

gender Categorical. Student gender: "female" or "male".

ses Categorical. Socioeconomic status: "low", "middle", "high".

sctyp Categorical. Type of school: "private" or "public".# corregido

prog Categorical. Program of study chosen: 0 = General, 1 = Vocational, 2 = Academic.

read Continuous. Reading test score.

write Continuous. Writing test score.

math Continuous. Math test score.

science Continuous. Science test score.

socst Continuous. Social studies test score.

honors Categorical. Honors enrollment status: "enrolled" or "not enrolled".

awards Integer. Number of awards received, ranging from 0 to 9.

cid Categorical. Unspecified score, ranging from 0 to 20.

prog0 Binary. 1 if prog = General, 0 otherwise.

prog1 Binary. 1 if prog = Vocational, 0 otherwise.

prog2 Binary. 1 if prog = Academic, 0 otherwise.

Source

Simulated dataset inspired by high school program choices.

summary.glsm*Summary Method for in glsm Objects*

Description

Summarizes a fitted `glsm` model, including coefficients, standard errors, odds ratios, Wald tests, and likelihood-ratio comparisons with nested models.

Usage

```
## S3 method for class 'glsm'
summary(object, ...)
```

Arguments

- | | |
|---------------------|--|
| <code>object</code> | The <code>glsm</code> model to summarize. The details of the model specification are provided under Details . |
| <code>...</code> | Other arguments passed to or from other methods. |

Details

Summary Method for '`glsm`'

Value

"`summary.glsm`" returns an object of class `summary.glsm`, a list with components:

- | | |
|------------------------------|---|
| <code>Call</code> | The original call used to fit the model. |
| <code>coeff</code> | A matrix of coefficients with columns for the estimated coefficients (Coef(B)), standard errors (Std.Error), exponentiated coefficients (Exp(B)), Wald test statistics (Wald), degrees of freedom (DF), and the corresponding p-values (P.value). |
| <code>comparison test</code> | A matrix with comparison tests of the logistic model against the following models: Null, Complete, and Saturated. It includes the test statistic (Deviance), degrees of freedom (DF), and p-values (P.value). |

```
#' @details The glsm function estimates a multinomial logistic regression model when the response variable takes more than two levels. The model compares the logistic specification against nested models (null, complete, and saturated), and provides maximum likelihood estimates, asymptotic inference for coefficients, and goodness-of-fit measures. This summary method presents the key components of the model in a structured format.
```

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Examples

```
data("hsbdemo", package = "glsm")
model <- glsm(prog ~ ses + gender, data = hsbdemo)
summary(model)
```

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