

Package ‘RSO’

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Title Ridge Selection Operator for Sparse Linear Regression

Version 1.0.0

Description Implements the Ridge Selection Operator (RSO) for variable selection in linear regression as proposed by Wu (2021) <doi:10.1080/00401706.2020.1791254>. The RSO method extends classical ridge regression by using individually penalized ridge parameters, inducing sparsity through reciprocal penalty parameters. This package provides a fast C++ implementation ('RSOFast') using 'Armadillo' linear algebra routines. The fast implementation precomputes matrix products, uses Cholesky factorization with primal/dual switching, and performs golden-section search for coordinate optimization.

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ridgereg	<i>Individually Penalized Ridge Regression</i>
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Description

Computes the sum of squared residuals (SSR) for individually penalized ridge regression without explicitly forming the hat matrix. Uses Cholesky decomposition for speed and numerical stability.

Usage

```
ridgereg(x, y, gam, penalty.factor = rep(1, length(gam)))
```

Arguments

x	Centered predictor matrix (n x p)
y	Centered response vector (n x 1)
gam	Ridge penalty parameters vector (p x 1) where $\text{gam}_j = 1/\text{nu}_j$
penalty.factor	Adaptive penalty factors (p x 1), default = 1 for RSO

Value

Sum of squared residuals (SSR)

Examples

```
n <- 100; p <- 10
x <- matrix(rnorm(n*p), n, p)
x <- scale(x, scale = FALSE)
y <- rnorm(n)
y <- y - mean(y)
gam <- runif(p)
result <- ridgereg(x, y, gam, rep(1, p))
```

ridgeRegPrecomp	<i>Individually Penalized Ridge Regression with Precomputed Matrices</i>
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Description

Computes the sum of squared residuals (SSR) for individually penalized ridge regression using precomputed $X'X$ and $X'y$ matrices. This is optimized for repeated calls with the same x matrix but different gam parameters (e.g., during grid search).

Usage

```
ridgeRegPrecomp(x, y, gam, penalty.factor = rep(1, length(gam)), precomp)
```

Arguments

<code>x</code>	Centered predictor matrix (n x p)
<code>y</code>	Centered response vector (n x 1)
<code>gam</code>	Ridge penalty parameters vector (p x 1) where $\text{gam}_j = 1/\text{nu}_j$
<code>penalty.factor</code>	Adaptive penalty factors (p x 1), default = 1 for RSO
<code>precomp</code>	List containing precomputed values: <ul style="list-style-type: none"> • <code>xtx</code>: $X'X$ matrix (p x p) • <code>xty</code>: $X'y$ vector (p x 1)

Value

Sum of squared residuals (SSR)

Examples

```
n <- 100; p <- 10
x <- matrix(rnorm(n*p), n, p)
x <- scale(x, scale = FALSE)
y <- rnorm(n)
y <- y - mean(y)
precomp <- list(xtx = crossprod(x), xty = crossprod(x,y))
gam <- runif(p)
result <- ridgeRegPrecomp(x, y, gam, rep(1, p), precomp)
```

ridgereg_df

Ridge Regression with Degrees of Freedom

Description

Computes the sum of squared residuals (SSR), degrees of freedom (trace of hat matrix), and coefficient estimates for ridge regression. Uses Cholesky decomposition for speed and numerical stability.

Usage

```
ridgereg_df(x, y, gam, penalty.factor = rep(1, length(gam)))
```

Arguments

<code>x</code>	Centered predictor matrix (n x p)
<code>y</code>	Centered response vector (n x 1)
<code>gam</code>	Ridge penalty parameters vector (p x 1) where $\text{gam}_j = 1/\text{nu}_j$
<code>penalty.factor</code>	Adaptive penalty factors (p x 1), default = 1 for RSO

Value

A list containing:

ssr	Sum of squared residuals
df	Degrees of freedom (trace of hat matrix)
coef	Coefficient estimates (p x 1)

Examples

```
n <- 100; p <- 10
x <- matrix(rnorm(n*p), n, p)
x <- scale(x, scale = FALSE)
y <- rnorm(n)
y <- y - mean(y)
gam <- runif(p)
result <- ridgereg_df(x, y, gam, rep(1, p))
```

RSOFast

Fast RSO (Ridge Selection Operator)

Description

Implements the modified coordinate descent algorithm for RSO as described in Wu (2021). Solves for optimal lambda parameters that minimize SSR subject to $\sum(\text{lambda}) = \text{tau}$ and $\text{lambda} \geq 0$.

Usage

```
RSOFast(x, y, tau, penalty.factor = rep(1, ncol(x)), gaminit = NULL)
```

Arguments

x	Centered predictor matrix (n x p)
y	Centered response vector (n x 1)
tau	Regularization parameter (sum of lambda)
penalty.factor	Adaptive penalty factors (p x 1), default = 1 for RSO
gaminit	Initial lambda values. If NULL, uses tau/p for all.

Value

A list containing:

gamma	Optimal lambda vector (p x 1)
lambda	Alias for gamma
coefficients	Coefficient estimates (p x 1)
coef	Alias for coefficients

df	Degrees of freedom
ssr	Sum of squared residuals
iterations	Number of iterations
converged	Convergence status
n_selected	Number of selected variables
tau	Original tau parameter

References

Wu, Y. (2021). Can't ridge regression perform variable selection?. *Technometrics*, 63(2), 263-271.
[doi:10.1080/00401706.2020.1791254](https://doi.org/10.1080/00401706.2020.1791254)

Examples

```
n <- 100; p <- 10
x <- matrix(rnorm(n*p), n, p)
x <- scale(x, scale = FALSE)
y <- rnorm(n)
y <- y - mean(y)
result <- RSOFast(x, y, tau = 1.0, rep(1, p))
```

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